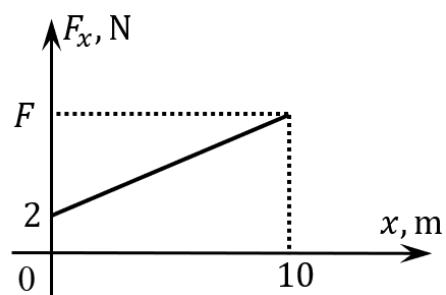
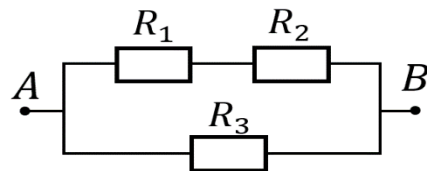




6	<p>Two bodies with masses equal to 1,0 kg and 2,0 kg move in a straight line towards each other. After the plastic collision they continue their motion coupled together. The kinetic energy after the collision is equal to 6,0 J. Determine the initial speed of the first body before the collision, if the second body had a speed of 5,0 m/s and its momentum was less than that of the first body.</p> <p>SOLUTION</p>	L	L
		0	0
		1	1
		2	2
		3	3
		4	4
		5	5
7	<p>A body of mass 4,0 kg, initially at rest at the origin of the <math>Ox</math> axis, is acted upon by a net force parallel to the <math>Ox</math> axis, the projection of which varies with the coordinate of the body, as shown in the figure below. Determine the value of the force when the distance travelled by the body becomes equal to 10 m, if its speed at this point becomes equal to 4,0 m/s.</p> <p>SOLUTION</p>	L	L
		0	0
		1	1
		2	2
		3	3
		4	4
		5	5
		6	6
		7	7

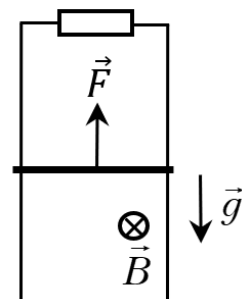


8	<p>One mole of a monoatomic ideal gas is heated in isochoric form, so the temperature increases twofold. Determine:</p> <p>a) how many times the pressure of the gas has changed;</p> <p>b) the change in the internal energy of the ideal gas if the initial temperature is 200 K.</p> <p>SOLUTION</p>	<p>a)</p> <p>L</p> <p>0</p> <p>1</p> <p>2</p> <p>3</p>	<p>a)</p> <p>L</p> <p>0</p> <p>1</p> <p>2</p> <p>3</p>
9	<p>In the circuit shown in the figure, the electrical resistances of resistors <math>R_1</math>, <math>R_2</math> are equal to <math>5,0 \Omega</math> and <math>10 \Omega</math>. The voltage on the resistor <math>R_2</math> is equal to <math>4,0 \text{ V}</math>. The current from A to B is equal to <math>1,0 \text{ A}</math>. Determine the resistance of resistor <math>R_3</math>.</p> <p>SOLUTION</p>	<p>L</p> <p>0</p> <p>1</p> <p>2</p> <p>3</p> <p>4</p> <p>5</p> <p>6</p> <p>7</p> <p>8</p> <p>9</p>	<p>L</p> <p>0</p> <p>1</p> <p>2</p> <p>3</p> <p>4</p> <p>5</p> <p>6</p> <p>7</p> <p>8</p> <p>9</p>



**III. FOR ITEMS 10-12 PROVIDE FULL SOLUTION TO THE GIVEN PROBLEMS**

10	<p>In a vertical cylinder, with a movable piston that can move without friction, provided with a heater of electrical resistance <math>R_0=2,0 \Omega</math>, connected to a voltage equal to <math>u = 2,0 \text{ V}</math>, there is one mole of Helium. Of the heat energy released by the heater, 70% is transferred to the gas. Determine the temperature change of the gas in <math>\tau=830 \text{ s}</math> after the heater is turned on, if the pressure outside the cylinder is constant and the universal gas constant is <math>R=8,3 \text{ J}/(\text{mol K})</math>.</p> <p>SOLUTION</p>		
		L	L
		0	0
		1	1
		2	2
		3	3
		4	4
		5	5
		6	6
		7	7
		8	8
		9	9
		10	10
		11	11
11	<p>A horizontal rod moves downwards without friction on two vertical, plane-parallel rails in a homogeneous gravitational and magnetic field of induction 0,5 T, with velocity equal to 4,0 m/s, under the action of a force <math>\vec{F}</math> equal to 5,0 N, acting vertically upwards. A resistor with a resistance of 0,5 <math>\Omega</math> is connected to the ends of the rails. The mass of the rod is 0,55 kg. The free fall acceleration is 10 m/s<sup>2</sup>. The rod and rails have negligible electrical resistance and the rod permanently closes the circuit.</p> <p>a) Indicate the direction of the induction current through the rod.</p> <p>b) State the other forces acting on the rod.</p> <p>c) Determine the length of the rod.</p> <p>SOLUTION</p>	<p>a) L 0 1</p> <p>b) L 0 1 2</p>	<p>a) L 0 1</p> <p>b) L 0 1 2</p>



		c) L 0 1 2 3 4 5 6 7 8 9	c) L 0 1 2 3 4 5 6 7 8 9
12	<p>You have a spring with known spring constant, which can be both stretched and compressed, fixed at one end to a support, tennis ball with known mass, tennis ball launcher, ruler. A device is attached to the end of the spring to record the deformation of the spring. The device and the spring have negligible mass. You need to determine the speed at which the tennis ball is launched from the launcher. Requirements:</p> <p>a) describe how to determine the speed; b) derive the formula for the calculation.</p> <p>SOLUTION</p> <div data-bbox="970 1384 1374 1507" data-label="Image"> </div>	a) L 0 1  b) L 0 1 2 3 4 5 6	a) L 0 1  b) L 0 1 2 3 4 5 6

**ANNEX**  
**Physical constants**

Elementary charge $e = 1,60 \cdot 10^{-19} \text{ C}$	Avogadro's constant $N_A = 6,02 \cdot 10^{23} \text{ mol}^{-1}$
Electron rest mass $m_e = 9,11 \cdot 10^{-31} \text{ kg}$	Boltzmann's constant $k = 1,38 \cdot 10^{-23} \text{ J/K}$
Light speed in vacuum $c = 3,00 \cdot 10^8 \text{ m/s}$	Ideal gas constant $R = 8,31 \text{ J/(mol} \cdot \text{K)}$
Gravitational constant $K = 6,67 \cdot 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$	Planck's constant $h = 6,63 \cdot 10^{-34} \text{ J} \cdot \text{s}$
Electric constant $\epsilon_0 = 8,85 \cdot 10^{-12} \text{ F/m}$	Coulomb's force constant $k_e = 9,00 \cdot 10^9 \text{ N} \cdot \text{m}^2/\text{C}^2$

**MECHANICS**

$$x = x_0 + v_{0x}t; \quad x = x_0 + v_{0x}t + \frac{a_x t^2}{2}; \quad v_x = v_{0x} + a_x t; \quad v_x^2 - v_{0x}^2 = 2a_x s_x; \quad v = \frac{1}{T}; \quad \omega = \frac{2\pi}{T}; \quad v = \omega r; \quad \omega = 2\pi\nu; \quad a_c = \frac{v^2}{r}.$$

$$\vec{F} = m\vec{a}; \quad \vec{F}_{12} = -\vec{F}_{21}; \quad F = K \frac{m_1 m_2}{r^2}; \quad \vec{F}_e = -k\Delta\vec{l}; \quad F_f = \mu N; \quad F_A = \rho_0 V g; \quad p = \frac{F}{S}; \quad p = \rho g h; \quad M = F d.$$

$$\vec{p} = m\vec{v}; \quad \Delta\vec{p} = \vec{F}\Delta t; \quad L_{mec.} = F s \cos \alpha; \quad P = \frac{L}{t}; \quad E_c = \frac{mv^2}{2}; \quad L_{12} = E_{c2} - E_{c1}; \quad E_p = mgh; \quad E_p = \frac{kx^2}{2}; \quad L_{12} = -(E_{p2} - E_{p1});$$

$$x = A \sin(\omega t + \varphi_0); \quad T = 2\pi\sqrt{\frac{l}{g}}; \quad T = 2\pi\sqrt{\frac{m}{k}}; \quad \lambda = vT;$$

**MOLECULAR PHYSICS AND THERMODYNAMICS**

$$p = \frac{1}{3} m_0 n \bar{v}^2 = \frac{2}{3} n \bar{\epsilon}_{tr}; \quad \bar{\epsilon}_{tr} = \frac{3}{2} kT; \quad p = nkT; \quad v_r = \sqrt{\frac{3RT}{M}}; \quad pV = \nu RT; \quad \nu = \frac{m}{M} = \frac{N}{N_A}; \quad R = kN_A; \quad M = m_0 N_A;$$

$$pV = const., \quad T = const.; \quad \frac{p}{T} = const., \quad V = const.; \quad \frac{V}{T} = const., \quad p = const.; \quad \frac{pV}{T} = const., \quad m = const.$$

$$U = \frac{3}{2} \frac{m}{M} RT; \quad L = p\Delta V; \quad Q = cm\Delta T; \quad Q = C_M \nu \Delta T; \quad c_p - c_v = \frac{R}{M}; \quad Q_V = \lambda_V m; \quad Q = qm; \quad Q = \Delta U + L; \quad \eta = \frac{Q_1 - |Q_2|}{Q_1};$$

$$\eta_{max.} = \frac{T_1 - T_2}{T_1}; \quad \varphi = \frac{\rho_a}{\rho_s} = \frac{p_a}{p_s}; \quad \sigma = \frac{F_s}{l}; \quad h = \frac{4\sigma}{\rho g d}; \quad \frac{F}{S} = E \frac{\Delta l}{l}; \quad l = l_0(1 + \alpha t);$$

**ELECTRODYNAMICS**

$$F = \frac{k_e |q_1 q_2|}{\epsilon_r r^2}; \quad E = \frac{k_e |q|}{\epsilon_r r^2}; \quad k_e = \frac{1}{4\pi\epsilon_0}; \quad \vec{E} = \frac{\vec{F}}{q_0}; \quad E = \frac{U}{d}; \quad \varphi = \frac{W}{q_0}; \quad \varphi = \frac{kq}{r}; \quad U = \frac{L}{q_0};$$

$$C = \frac{q}{U}; \quad C = \frac{\epsilon_0 \epsilon_r S}{d}; \quad C_p = \sum_{i=1}^n C_i; \quad \frac{1}{C_s} = \sum_{i=1}^n \frac{1}{C_i}; \quad W_e = \frac{CU^2}{2}$$

$$I = \frac{\Delta q}{\Delta t}; \quad I = \frac{U}{R}; \quad I = \frac{\epsilon}{R+r}; \quad I_{s.c.} = \frac{\epsilon}{r}; \quad R = \rho \frac{l}{S}; \quad R_s = \sum_{i=1}^n R_i; \quad \frac{1}{R_p} = \sum_{i=1}^n \frac{1}{R_i}; \quad L = IUt; \quad Q = I^2 Rt; \quad P = IU; \quad \eta = \frac{L_u}{L_t};$$

$$F_m = IBl \sin \alpha; \quad F_L = qvB \sin \alpha;$$

$$\Phi = BS \cos \alpha; \quad \epsilon_i = -\frac{\Delta\Phi}{\Delta t}; \quad \Phi = Li; \quad \epsilon_{ai} = -L \frac{\Delta i}{\Delta t}; \quad W_m = \frac{LI^2}{2}; \quad q = q_m \cos(\omega t + \varphi_0); \quad I = \frac{I_m}{\sqrt{2}}; \quad U = \frac{U_m}{\sqrt{2}};$$

$$\frac{I_2}{I_1} \approx K = \frac{N_1}{N_2} = \frac{U_1}{U_2}; \quad X_C = \frac{1}{\omega C}; \quad X_L = \omega L; \quad T = 2\pi\sqrt{LC};$$

$$\Delta_{max} = \pm 2m \cdot \frac{\lambda}{2}; \quad \Delta_{min} = \pm (2m+1) \cdot \frac{\lambda}{2}; \quad d \sin \varphi = \pm m\lambda; \quad d = \frac{l}{N} = \frac{1}{n}$$

**MODERN PHYSICS**

$$\tau = \frac{\tau_0}{\sqrt{1-v^2/c^2}}; \quad l = l_0 \sqrt{1-v^2/c^2}; \quad m = \frac{m_0}{\sqrt{1-v^2/c^2}}; \quad \vec{p} = \frac{m_0 \vec{v}}{\sqrt{1-v^2/c^2}} = \frac{E}{c^2} \vec{v}; \quad E = mc^2; \quad E_c = (m - m_0)c^2;$$

$$\epsilon_{ph} = \frac{hc}{\lambda}; \quad p_{ph} = \frac{h}{\lambda}; \quad hv = L_e + \frac{mv_{max}^2}{2}; \quad v = \frac{c}{\lambda}; \quad hv = E_n - E_m; \quad N = N_0 e^{-\lambda t}; \quad \lambda = \frac{\ln 2}{T_{1/2}}; \quad N = N_0 2^{-\frac{t}{T_{1/2}}}$$

$${}^A_Z X \rightarrow {}^{A-4}_{Z-2} Y + {}^4_2 He; \quad {}^A_Z X \rightarrow {}^A_{Z+1} Y + {}^0_{-1} e; \quad 1 \text{ eV} = 1,60 \cdot 10^{-19} \text{ J}; \quad 1 \text{ u} = 1,66 \cdot 10^{-27} \text{ kg}.$$